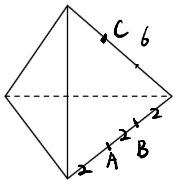
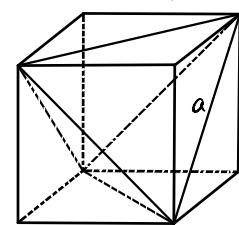
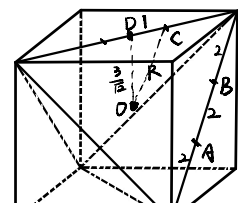


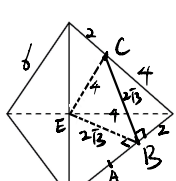
单元格例 = (主体几何)

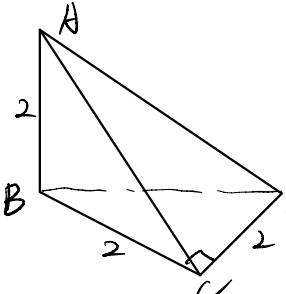
12.  A. 正三角形 $\times 4$ $\triangle^2 \Rightarrow \frac{\sqrt{3}}{4} \times 2^2$
正三角形 $\times 4$ $\triangle^2 = 6 \text{ 个正三角形} \Rightarrow \frac{\sqrt{3}}{4} \times 2^2 \times 6 \times 4 \Rightarrow 28\sqrt{3}$

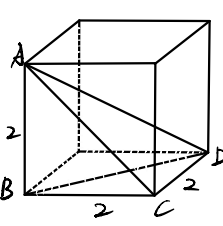
B. $V = \text{大正四面体} - \text{小正四面体} \times 4$
($a=6$) ($a=2$) $\Rightarrow V = \frac{\frac{\sqrt{3}}{4} \times 6^3}{\sqrt{2}} - \frac{\frac{\sqrt{3}}{4} \times 2^3 \times 4}{3\sqrt{2}}$
 $= \frac{3\sqrt{2} \times 6}{3} - \frac{2\sqrt{2} \times 4}{3}$
 $= \frac{5\sqrt{2} - 8\sqrt{2}}{3} = \frac{4\sqrt{2}}{3}$

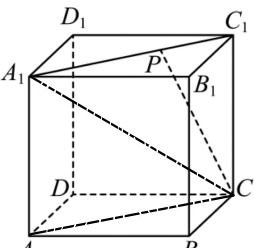
 $V_{\text{正四面体}} = \frac{1}{3} V_{\text{正立方体}}$
 $= \frac{1}{3} \cdot \frac{a \cdot a \cdot a}{\sqrt{2} \cdot \sqrt{2} \cdot \sqrt{2}} = \frac{a^3}{6\sqrt{2}}$

C.  $\Rightarrow \frac{3}{\sqrt{2}} \triangle^2 \Rightarrow R^2 = \frac{9}{2} + 1 \Rightarrow S = 4\pi R^2 = 4\pi \cdot \frac{11}{2} = 22\pi$

D.  E为后虚线三等分点, 易得 $\begin{cases} CB \perp AB \\ EB \perp AB \end{cases} \Rightarrow AB \perp \text{平面} BCE \Rightarrow AB \perp \text{平面} BCE \text{ 内所有直线}$
 $\Rightarrow M \text{ 在 } CE, EB, BC \text{ 上运动} \Rightarrow AB \perp CM \Rightarrow \text{运动轨迹} = \triangle BCE \text{ 周长}$
 $\Rightarrow \text{易得 } BC = BE = 2\sqrt{3}, CE = 4 \Rightarrow \text{轨迹长度} = 4 + 4\sqrt{3}$

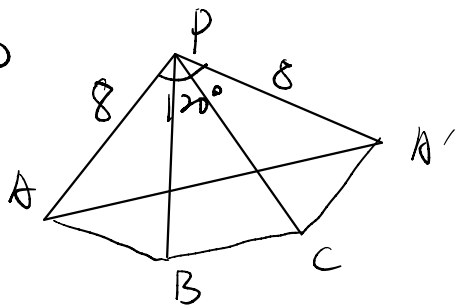
8.  $\sqrt{4+4+4} = 2R = 2\sqrt{3}, R = \sqrt{3} \Rightarrow S = 4\pi R^2 = 4\pi \cdot 3 = 12\pi$



10.  CP在面 CC_1A_1 上运动

A. $BD \perp ACC_1A_1 \Rightarrow BD \perp PC$
B. $BB_1 \parallel CC_1, CC_1 \text{ 与 } PC \text{ 相交} \Rightarrow BB_1 \text{ 与 } PC \text{ 异面}$
C. $DD_1 \parallel CC_1, DD_1 \text{ 与 } PC \text{ 异面} \Rightarrow CC_1 \text{ 与 } PC \text{ 异面} \Rightarrow 0^\circ < \theta < 45^\circ$
D. $PC \text{ 与面 } ABCD \Rightarrow PC \text{ 与面 } A_1B_1C_1D_1 \Rightarrow \angle CPC_1 \Rightarrow 45^\circ < \theta < 90^\circ$

15. 展开侧面

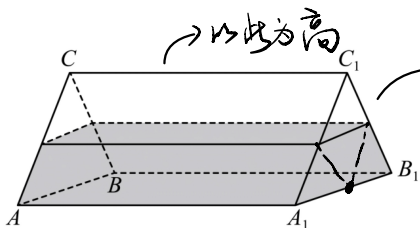


在 $\triangle PA'B'$ 中, 用余弦定理

$$A'B'^2 = 8^2 + 8^2 - 2 \cdot 8 \cdot 8 \cdot \cos 120^\circ$$

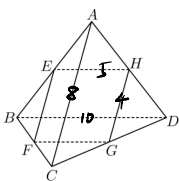
$$\Rightarrow A'B' = 8\sqrt{3}$$

14.

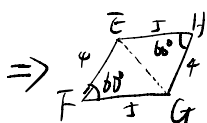


以此为高 $\Rightarrow$ 空 1 份 $\Rightarrow \frac{1}{3}$ 份 $\Rightarrow \frac{1}{3} \times \frac{3}{4} = \frac{1}{4} \Rightarrow \frac{3}{4} \text{ 高} = 12$

13.

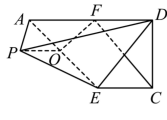
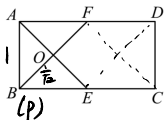


注意: AC 与 BD 夹角为 60°
 $\Rightarrow$ EH 与 HG 夹角为 60°



$$\Rightarrow 2 \times S_{EFGH} = 2 \times \frac{1}{2} \cdot 4 \cdot 5 \cdot \sin 60^\circ = 4 \cdot 5 \cdot \frac{\sqrt{3}}{2} = 10\sqrt{3}$$

11.



A. $CF \parallel AB$, $AC \perp PDG \Rightarrow AC \perp DP \Rightarrow CF \parallel DP$

B. $CF \Rightarrow AE$, AE 与 PE (或 BE) 夹角 45°

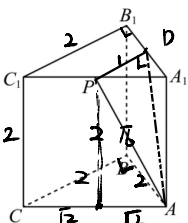
C. ABE 翻转 $180^\circ \Rightarrow$ 与 AFG 重合.

则 $\angle PED \Rightarrow$ 从 $\angle BED$ 到 $\angle FED$, 从 $135^\circ \rightarrow 45^\circ$, 存在 $\angle PED = 90^\circ$

D. 当 $PE \perp$ 下底 $\Rightarrow V_{P-AED}$ 最大, 高为 PD , 底为 $AED \Rightarrow PE \perp ED$

$$\Rightarrow AB = 1, OP = \frac{1}{2}, AE = \sqrt{2} \Rightarrow V = \frac{1}{3} \cdot 1 \cdot 1 \cdot \frac{1}{2} = \frac{1}{6} = \frac{\sqrt{6}}{6}$$

6.



设 $AB = CC_1 = 2$, D 为中点.

$\begin{cases} B_1C_1 \perp AB_1 \\ B_1C_1 \perp BB_1 \end{cases} \Rightarrow B_1C_1 \perp \text{右面} \Rightarrow DP \perp \text{右面} \Rightarrow DP \perp AD$

$DP = \frac{1}{2} B_1C_1 = 1$, $AP = \sqrt{5}$

BC 与 AP 夹角 $\Rightarrow DP$ 与 AP 夹角 $\Rightarrow \angle APD = \theta$, $\cos \theta = \frac{DP}{PA} = \frac{1}{\sqrt{6}} = \frac{\sqrt{6}}{6}$

5. 课本 p119 例 4.